

Alignment in multi-Higgs doublet models through family symmetries

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Outline

- 1 Introduction
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Acknowledgments

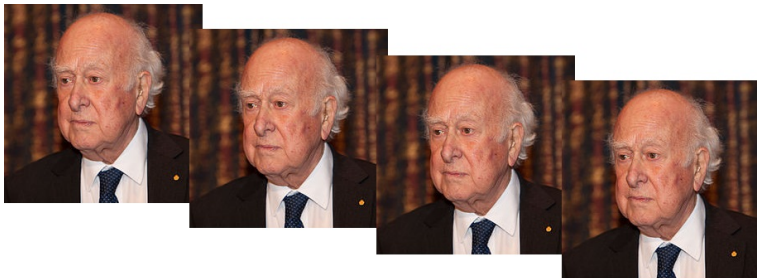
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Higgs



Multi-Higgs



Yukawa



Hideki Yukawa

(“maiden” name, Hideki Ogawa)

We might be saying “Ogawa couplings” today...



Multi-Higgs models and Yukawa

In MHDM, for each family (u, d, l, ν) there is a Yukawa for each Higgs.

$$\mathcal{L}_u = \sum_{A=1}^N (Y_A^u)^{ij} H_A^\dagger Q_i u_j^c + h.c. \quad (1)$$

The $Y_A^{u,d,l,\nu}$ are in principle unrelated... Not simultaneously diagonal:

would lead to FCNC which have not been observed.



Multi-Ogawa



Yukawa alignment

Solution: Yukawa alignment, no FCNC:

A. Pich and P. Tuzon, Phys.Rev. D80 (2009)

Alignment can not be preserved by renormalisation (unless additional symmetries are applied):

P. Ferreira, L. Lavoura, and J. P. Silva, Phys.Lett. B688 (2010)

But deviations from running may be sufficiently small (for current bounds):

C. B. Braeuninger, A. Ibarra, and C. Simonetto, Phys.Lett. B692 (2010)



Exact alignment from family symmetries

IdMV, Phys.Lett. B701 (2011)

- Single FS invariant combination (for each family)
- All H_A trivial singlets under the FS

See also different approach:

H. Serôdio, Phys.Lett. B700 (2011)



Exact alignment example

FS: $SU(3)_\square \otimes SU(3)_()$

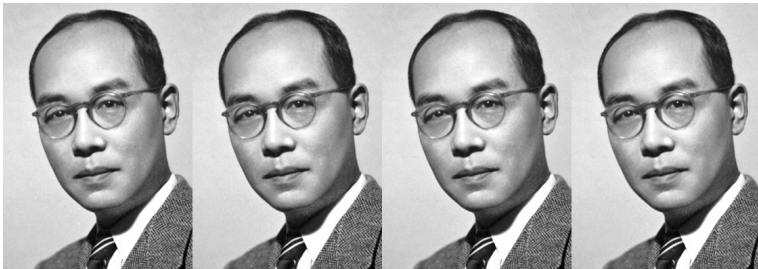
$$\mathcal{L}_u = \sum_{A=1}^N c_A^u H_A^\dagger [\phi_Q^i Q_i] (\phi_u^j u_j^c) + h.c. \quad (2)$$

All $(Y_A^u)^{ij} \propto \langle \phi_Q^i \phi_u^j \rangle$: exact alignment

Note: single $SU(3)$ has also $\sum_{A=1}^N c_A^u H_A^\dagger (\phi_u^i Q_i) (\phi_Q^j u_j^c) \dots$



Alignment



Up, Down

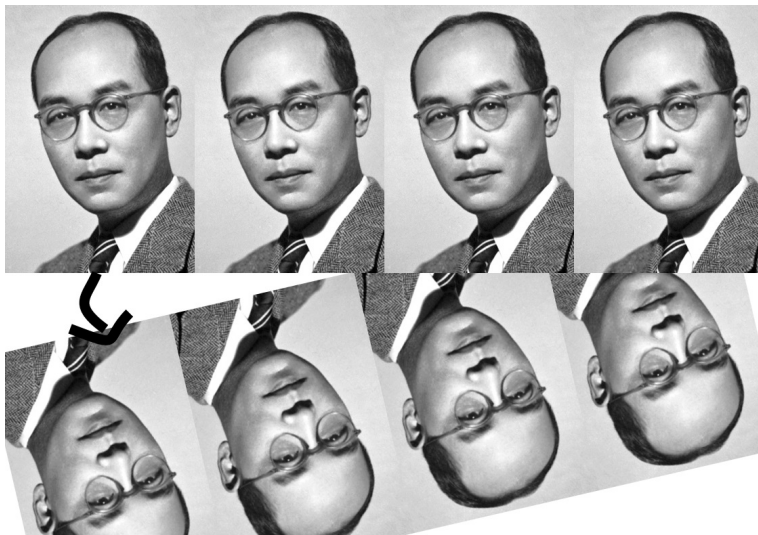
$$SU(3)_\square \otimes SU(3)_\square \otimes C_2$$

$$\mathcal{L}_Q = \sum_{A=1}^N [\phi_Q^i Q_i] \left(c_A^d H_A(\phi_d^j d_j^c) + c_A^u H_A^\dagger(\phi_u^j u_j^c) \right) + h.c.$$

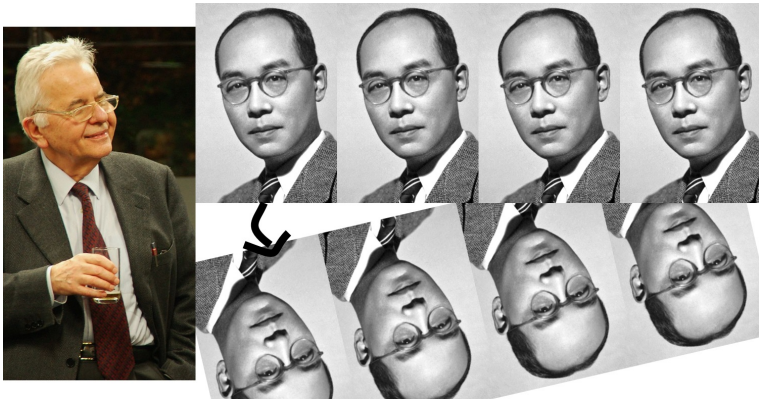
With e.g. ϕ_d, d^c as -1 under the C_2 (prevents ϕ_u, ϕ_d swapping places)



Up and down alignment



Up and down alignment



No ν_s

	Q	u^c	d^c	L	e^c	ϕ_Q	ϕ_u	ϕ_d	ϕ_L	ϕ_e
$SU(3)_\square$	3	1	1	3	1	$\bar{3}$	1	1	$\bar{3}$	1
$SU(3)_()$	1	3	3	1	3	1	$\bar{3}$	$\bar{3}$	1	$\bar{3}$
C_7	1	1	α^3	α	α^4	α	α^6	α^3	α^2	1

Table : $SU(3)_\square \otimes SU(3)_() \otimes C_7$ assignments. $\alpha^7 = 1$.



All families

	Q	u^c	d^c	L	e^c	ν^c	ϕ_Q	ϕ_u	ϕ_d	ϕ_L	ϕ_e	ϕ_ν
$SU(3)_\square$	3	1	1	3	1	1	3	1	1	$\bar{3}$	1	1
$SU(3)_()$	1	3	3	1	3	3	1	$\bar{3}$	$\bar{3}$	1	$\bar{3}$	$\bar{3}$
C_{10}	1	1	α^3	α	α^4	α^7	α	α^9	α^6	α^2	α^3	1

Table : $SU(3)_\square \otimes SU(3)_() \otimes C_{10}$ assignments. $\alpha^{10} = 1$.



Rank 1

All the mass matrices in the above example are rank 1
(this is a feature of using $SU(3)_\square \otimes SU(3)_()$).

Can use discrete subgroups (example in paper).
IdMV, Phys.Lett. B701 (2011)



Approximate alignment

Abandon single FS invariant combination

Keep leading order rank 1 Yukawa (as observed): approximate alignment!



Conclusion

Conclusions

- Exact alignment from single FSIC + Family singlet H
- Single FSIC: too restrictive for realistic Yukawas
- FS + LO rank 1 provides approximate alignment

