

Bound state spectrum of Brout-Englert-Higgs theories

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& L. Egger, A. Maas [arXiv:1701.02881]
& A. Maas, P. Törek [arXiv:1709.07477, arXiv:1710.01941]

Workshop on Multi-Higgs Models, September 5th, 2018



FRIEDRICH-SCHILLER-
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BEH physics

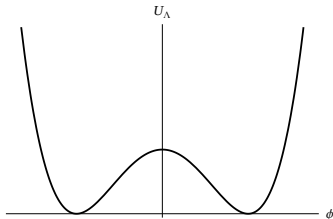
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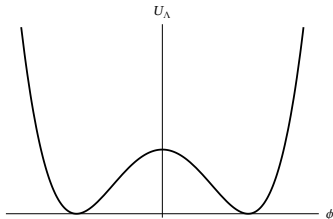


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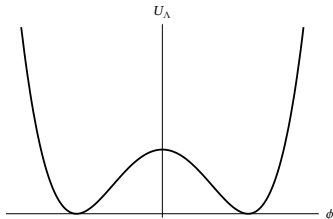
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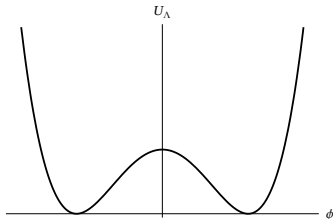
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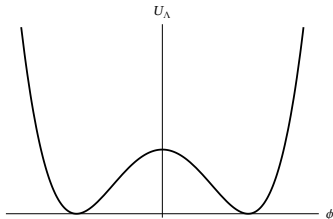
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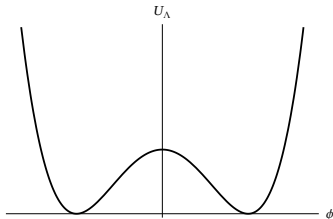
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- BUT! Mismatch to lattice computations for SU(3)
[Maas&Törek'16,'18]

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- ⇒ Rethinking of the particle spectrum!

Fröhlich-Morchio-Strocchi mechanism

1. Construct a gauge-invariant operator

$$\mathcal{O}(x) = (\phi^\dagger \phi)(x)$$

[Fröhlich et al '80,'81]

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- Confirmed on the lattice for SU(2)-Higgs theory [Maas'12]

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FMS mechanism in the weak sector

$$\mathcal{L} = -\frac{1}{4}W_{i\mu\nu}W_i^{\mu\nu} + (D_\mu\phi)^\dagger D^\mu\phi - U(\phi^\dagger\phi)$$

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- Mapping of local to global multiplets in the Standard Model

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Beyond the Standard Model

- $SU(N > 2)$ gauge theory + Higgs in fundamental representation

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- Also mismatches between the fluctuation and bound state spectrum for other representations or gauge groups

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- Mapping of local to global multiplets works for 2HDM! [Maas,Pedro 16]
- But constraints for SU(5) GUT

$$\text{SU}(5) \xrightarrow{\langle \Sigma \rangle \sim w} \text{SU}(3) \times \text{SU}(2) \times \text{U}(1) \xrightarrow{\langle \phi \rangle \sim v} \text{SU}(3) \times \text{U}(1) \quad (w \gg v)$$

- Global symmetry: $\text{U}(1) \times \cancel{\mathbb{Z}_2}$

J^P	Field	Mass	Degeneracy	Operator	Mass	Degeneracy
0^+	h	m_h	1	O_0	m_h	1
	φ^a	$\sim w$	6			
	σ_i	$\sim w$	8	$O_{\pm 1}$	$\sim w$	$1/\bar{1}$
	$\tilde{\sigma}_i$	$\sim w$	3			
	$\bar{\sigma}_i$	$\sim w$	1			
1^-	A^μ	0	1	O_0	0	1
	$W_\pm^\mu$	m_W	2			
	Z^μ	m_Z	1	$O_{\pm 1}$	$\sim w$	$1/\bar{1}$
	X_i^μ	$\sim w$	6			
	Y_i^μ	$\sim w$	6			
	G_i^μ	0	8			

[Maas,RS,Törek'17]

Conclusions & Outlook

- Observable spectrum must be gauge invariant
- Non-Abelian gauge theory: composite operator
- FMS mechanism provides a mapping of local to global multiplets
- Same results in leading order for the standard model and 2HDM
- BSM model building may be affected

Thank you for your attention!